

Data-Efficient Performance Learning for Configurable Systems

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Configurable Systems are Ubiquitous



Firefox®



Configurable software, hardware, human interaction




Configurability → Flexibility


- Functional behavior
- Non-functional / quality properties
 - **performance**
 - cost
 - energy consumption
 - safety
 - security
 - etc.

Configure Software to Tailor Functional Behavior


a command-line tool to encode a video stream



```
x264 --quiet
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```



output stream



input stream

Configure Software to Tailor Functional Behavior

a command-line tool to encode a video stream

The diagram illustrates the configuration of the x264 command-line tool. A blue arrow points from the text 'a command-line tool to encode a video stream' to the 'x264' command. The command is followed by several options: '--quiet', '--no-progress', '--no-asm', '--rc-lookahead 60', and '--ref 9'. These options are grouped by a large blue bracket on the right, labeled 'configuration1 (variant1)'. Each option is followed by a blue arrow pointing to a feature name: 'feature1', 'feature2', 'feature3', 'feature4', and 'feature5'. Below these options, the output file 'trailer_480p24.x264' is followed by a blue arrow pointing to 'output stream'. The input file 'trailer_2k_480p24.y4m' is followed by a blue arrow pointing to 'input stream'.

```
x264 --quiet --no-progress --no-asm --rc-lookahead 60 --ref 9 -o trailer_480p24.x264 trailer_2k_480p24.y4m
```

feature1
feature2
feature3
feature4
feature5

configuration1
(variant1)

output stream
input stream

Configure Software to Meet a Certain Performance Goal

configuration1

```
x264 --quiet  
--no-progress  
--no-asm  
--rc-lookahead 60  
--ref 9  
-o trailer_480p24.x264  
trailer_2k_480p24.y4m
```

324 seconds

configuration2

```
x264  
--no-progress  
--no-asm  
--rc-lookahead 60  
--ref 9  
-o trailer_480p24.x264  
trailer_2k_480p24.y4m
```

551 seconds

Tuning only one option improves performance by 41% !

Goals

- Finding an **optimal configuration** to meet a specific performance goal
- Determining the **impact** of feature selections on performance
- Building the **performance model** behind a certain system

Measure the Performance of All Configurations?

- An exponential number of configurations
 - N Boolean features \rightarrow about 2^N configurations
- The cost of measurement may be high
 - E.g., executing a complex benchmark

Feature-Wise Measurement?

configuration1

```
x264 --quiet
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

324 seconds

configuration2

```
x264
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

551 seconds

$P(\text{quiet})$
= 551 – 324
= **227** seconds

Feature-Wise Measurement?

configuration1

```
x264 --quiet
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

324 seconds

configuration2

```
x264
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

551 seconds

$P(\text{quiet})$
= 551 – 324
= **227** seconds

configuration3

```
x264 --quiet
      --no-progress

      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

487 seconds

configuration4

```
x264
      --no-progress

      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

661 seconds

$P'(\text{quiet})$
= 661 – 487
= **174** seconds

Feature-Wise Measurement?

configuration1

```
x264 --quiet
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

324 seconds

configuration2

```
x264
      --no-progress
      --no-asm
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

551 seconds

configuration3

```
x264 --quiet
      --no-progress
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

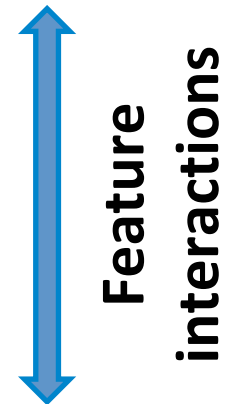
487 seconds

configuration4

```
x264
      --no-progress
      --rc-lookahead 60
      --ref 9
      -o trailer_480p24.x264
      trailer_2k_480p24.y4m
```

661 seconds

$$\begin{aligned} P(\text{quiet}) \\ &= 551 - 324 \\ &= \mathbf{227} \text{ seconds} \end{aligned}$$



$$\begin{aligned} P'(\text{quiet}) \\ &= 661 - 487 \\ &= \mathbf{174} \text{ seconds} \end{aligned}$$

Key Challenges

- An exponential number of configurations
 - N Boolean features \rightarrow about 2^N configurations
- The cost of measurement may be high
 - E.g., executing a complex benchmark
- Potential feature interactions
 - Hard to detect

Approaches

- Feature-interaction detection
 - [ICSE'12, SPLC'14, FSE'15, FSE'17]
- Non-linear regression
 - [ASE'13, SPLC'15, ASE'15a, ICPE'17]
- Fourier learning
 - [ASE'15b, SPLC'16]
 - ACM Distinguished Paper Award @ ASE'15
 - Best Paper Award @ SPLC'16

ICML 2016 Workshop on Data-Efficient Machine Learning

24 June 2016, Marriott Marquis (Astor Room), New York

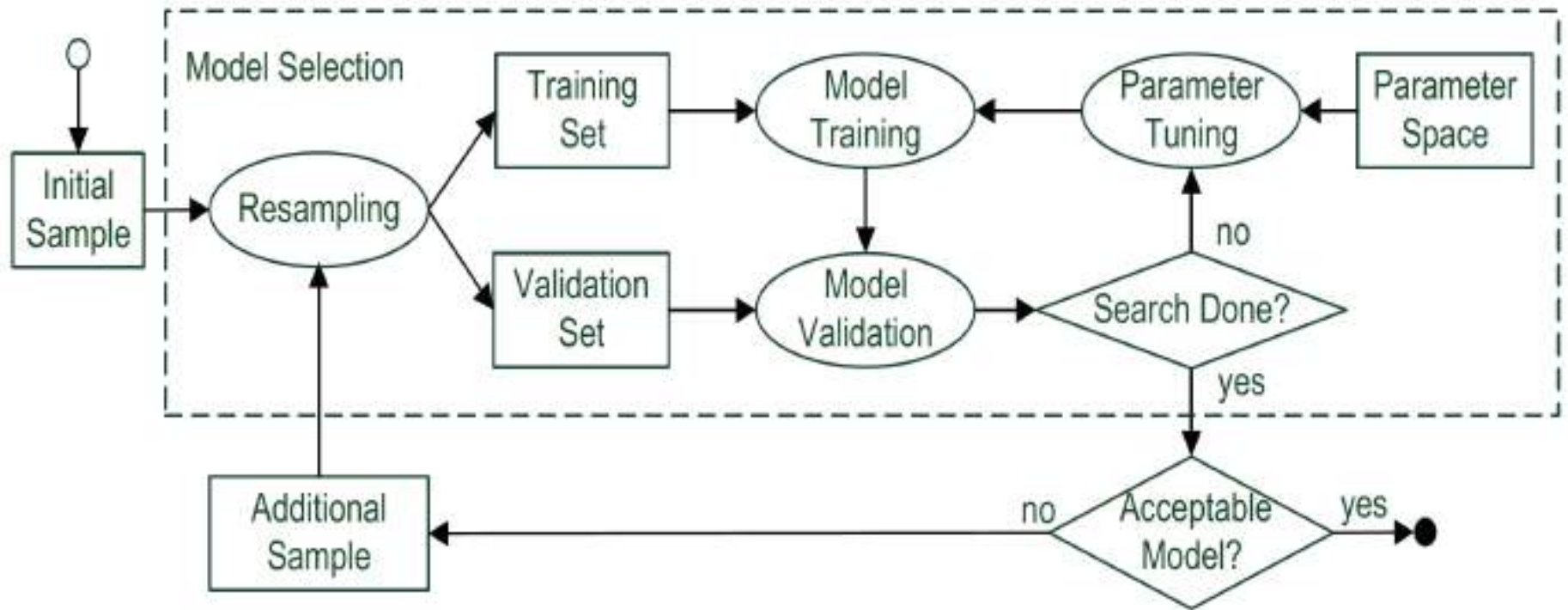
- Large-data problems (data is CHEAP)
 - object detection and recognition
 - machine translation
 - text-to-speech
 - recommender systems
 - information retrieval
- Small-data problems (data is EXPENSIVE)
 - personalized healthcare
 - robot reinforcement learning
 - sentiment analysis
 - community detection
 - **system quality prediction**

The ability to learn in complex domains without
requiring large quantities of data!

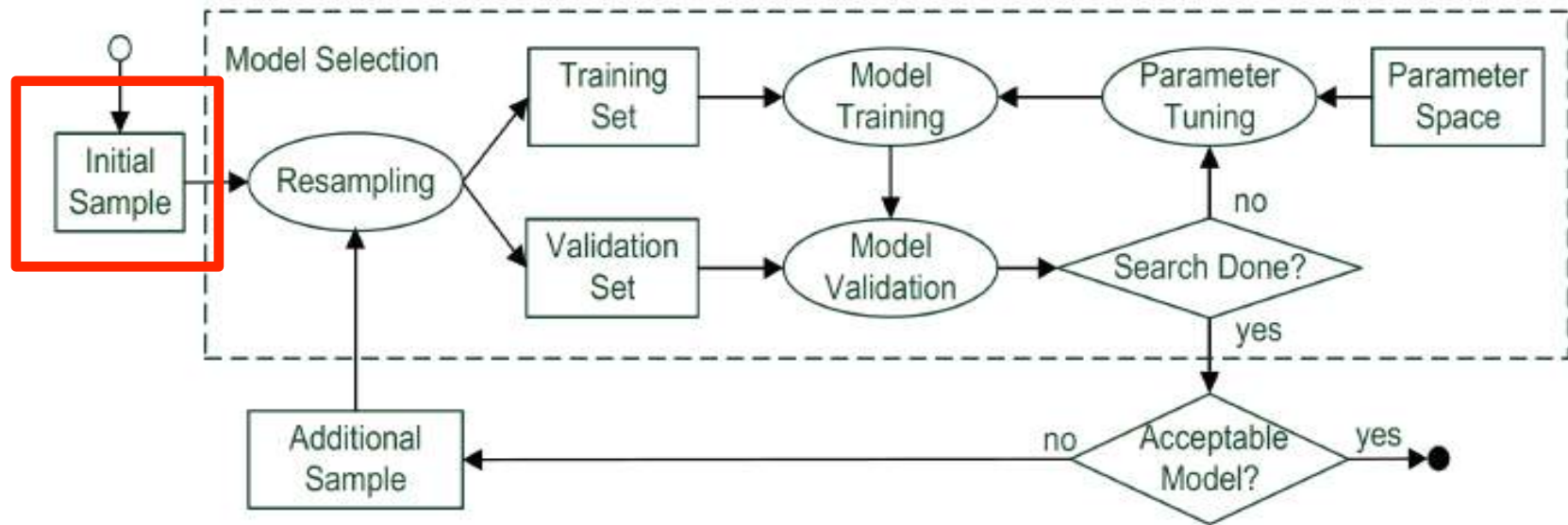
Executive Summary

- Methodology
 - A well-established method CART
 - 3 resampling techniques
 - 3 parameter-tuning techniques
 - A sample quality metric
- Evaluation on 10 real-world systems
- Conclusion
 - DECART **quickly (at most seconds)** builds, validates, and determines an **accurate (above 90%)** performance prediction model based only on a given **small sample** of measured configurations, **without additional effort to detect feature interactions**
 - Ensures that the resulting model holds **optimal parameter settings** based on the currently available sample
 - Reaches a **sweet spot** between measurement effort and prediction accuracy
 - Works **automatically** and **progressively** with random samples of any sizes
 - Considers **all features** and identifies the **performance-relevant ones**
 - Easy to understand and easy to implement

DECART



Generate an Initial Sample

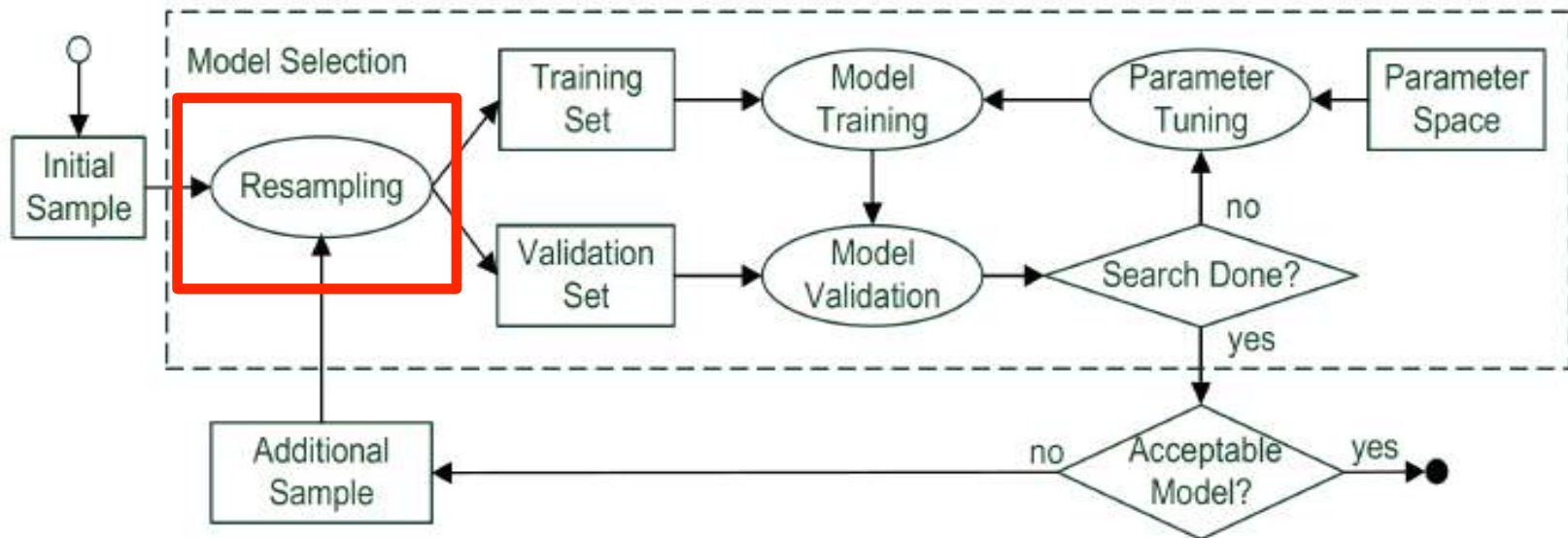


Three heuristics:

- feature-size: random selection, N
- feature-wise: simple coverage, N_W
- feature-frequency: combinatorial coverage, N_F

Roughly, $N < N_W < N_F$

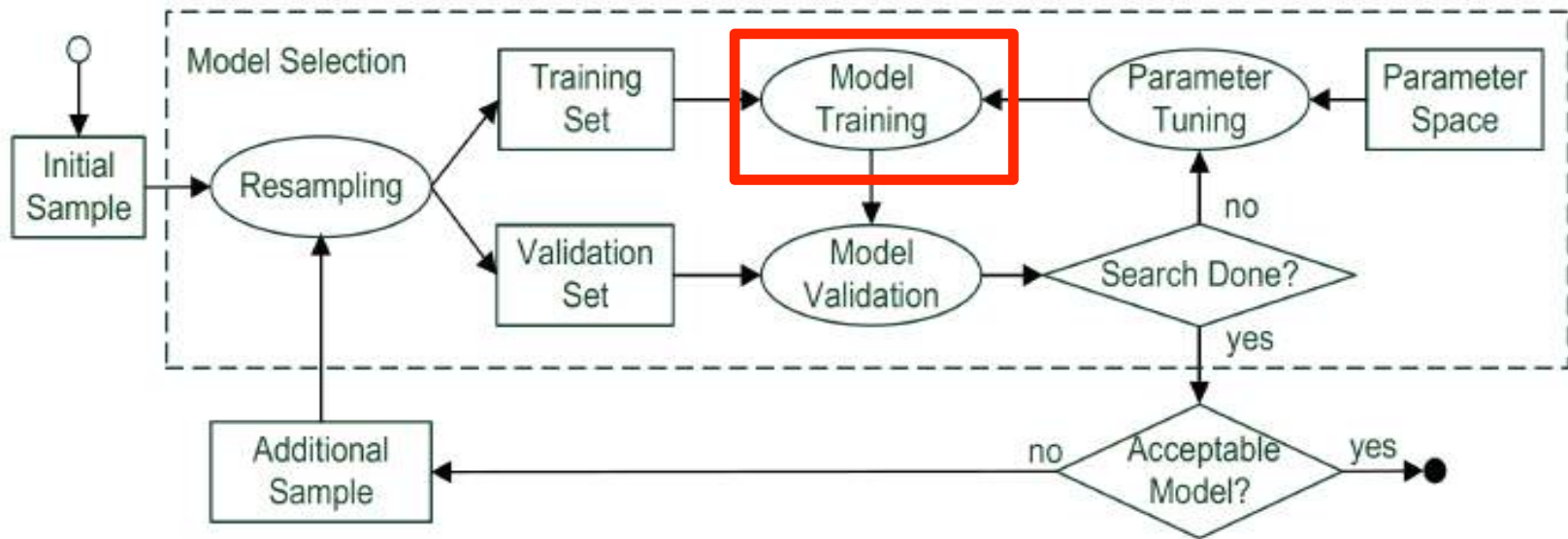
Resampling



Three well-established methods:

- hold-out
- k-fold cross-validation
- bootstrapping

Model Training



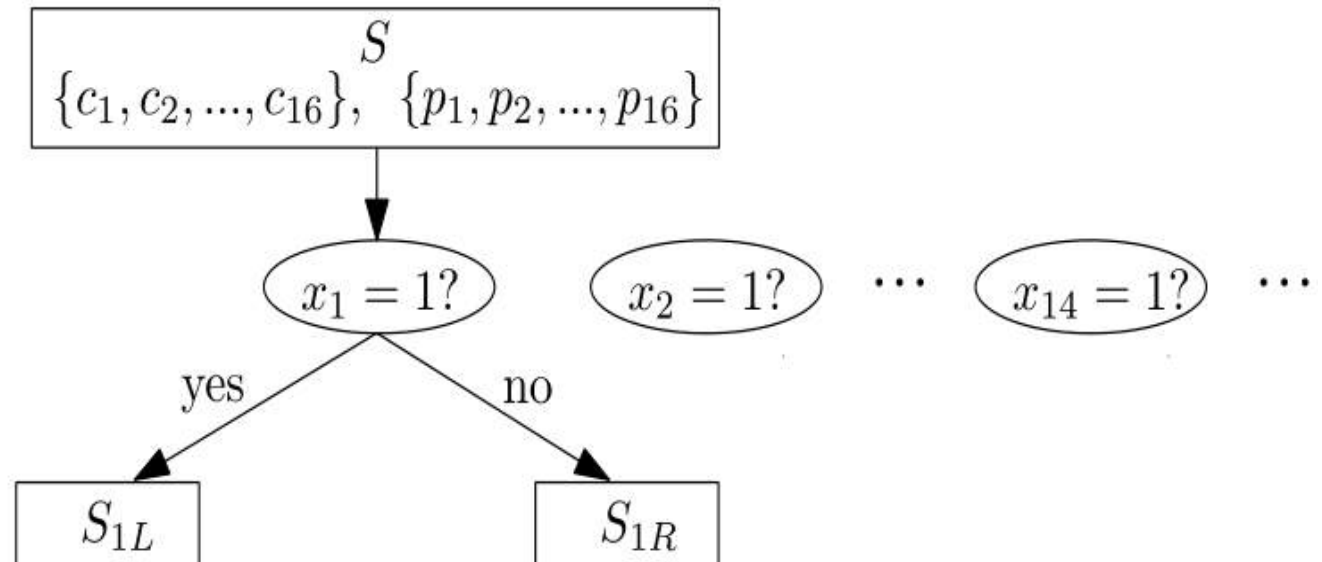
Classification And Regression Trees (CART)

- Non-linear learning
- Robust to noise data
- Usually very fast
- Easy to understand and easy to implement

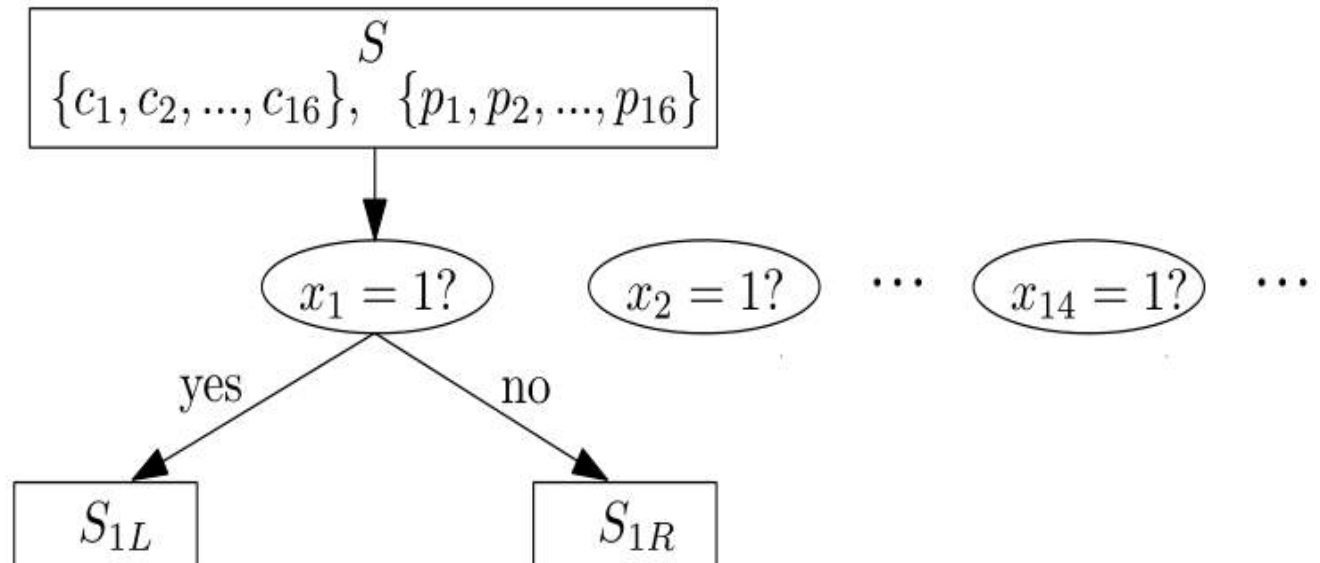
[Breiman et al., **Classification and Regression Trees**. 1984]

[Guo et al., **Variability-Aware Performance Prediction: A Statistical Learning Approach**. ASE'13]

CART



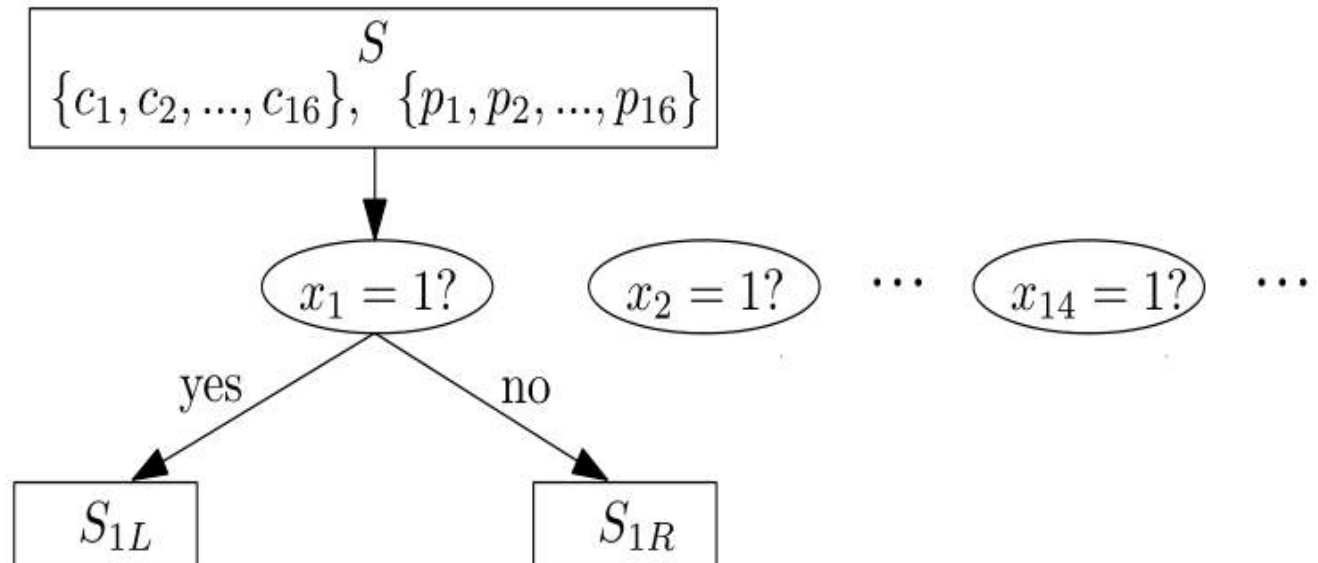
CART



Sample mean

$$\ell_{S_{1L}} = \frac{1}{|S_{1L}|} \sum_{p_j \in S_{1L}} p_j \quad \ell_{S_{1R}} = \frac{1}{|S_{1R}|} \sum_{p_j \in S_{1R}} p_j$$

CART



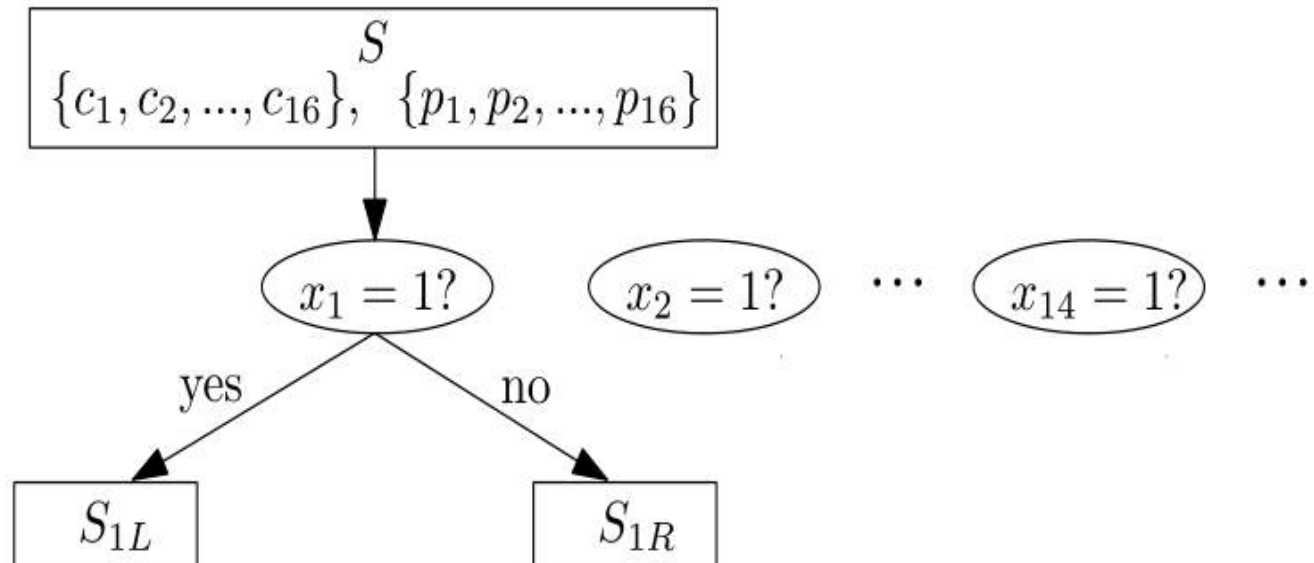
Sample mean

$$\ell_{S_{iL}} = \frac{1}{|S_{iL}|} \sum_{p_j \in S_{iL}} p_j \quad \ell_{S_{iR}} = \frac{1}{|S_{iR}|} \sum_{p_j \in S_{iR}} p_j$$

**Squared error
loss**

$$\sum_{p_j \in S_{iL}} (p_j - \ell_{S_{iL}})^2 \quad \sum_{p_j \in S_{iR}} (p_j - \ell_{S_{iR}})^2$$

CART



Sample mean

$$\ell_{S_{iL}} = \frac{1}{|S_{iL}|} \sum_{p_j \in S_{iL}} p_j \quad \ell_{S_{iR}} = \frac{1}{|S_{iR}|} \sum_{p_j \in S_{iR}} p_j$$

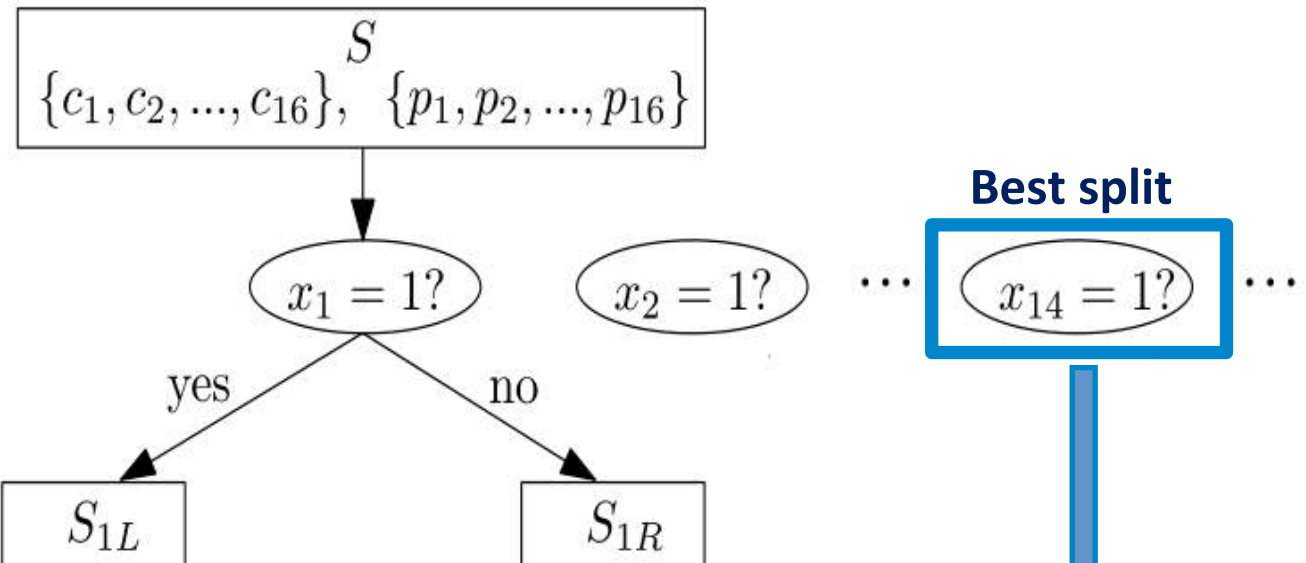
**Squared error
loss**

$$\sum_{p_j \in S_{iL}} (p_j - \ell_{S_{iL}})^2 \quad \sum_{p_j \in S_{iR}} (p_j - \ell_{S_{iR}})^2$$

**Sum of squared
error loss**

$$\sum_{p_j \in S_{iL}} (p_j - \ell_{S_{iL}})^2 + \sum_{p_j \in S_{iR}} (p_j - \ell_{S_{iR}})^2 \quad \text{is minimal}$$

CART



Sample mean

$$\ell_{S_{iL}} = \frac{1}{|S_{iL}|} \sum_{p_j \in S_{iL}} p_j \quad \ell_{S_{iR}} = \frac{1}{|S_{iR}|} \sum_{p_j \in S_{iR}} p_j$$

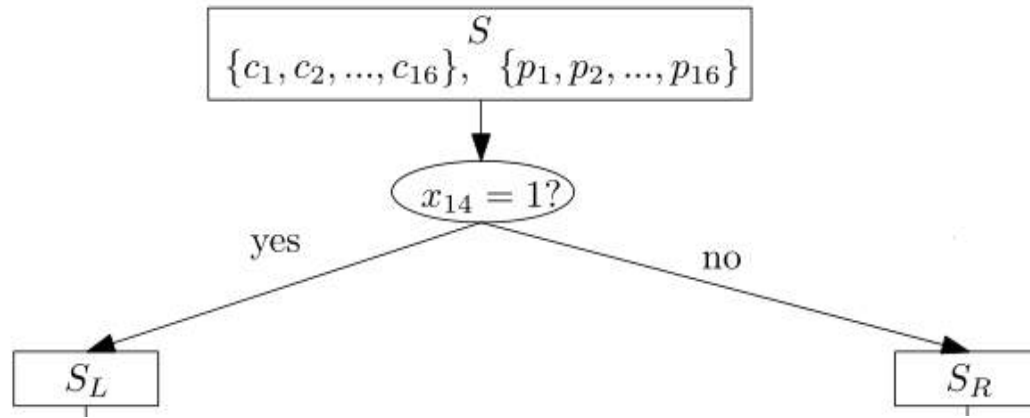
Squared error loss

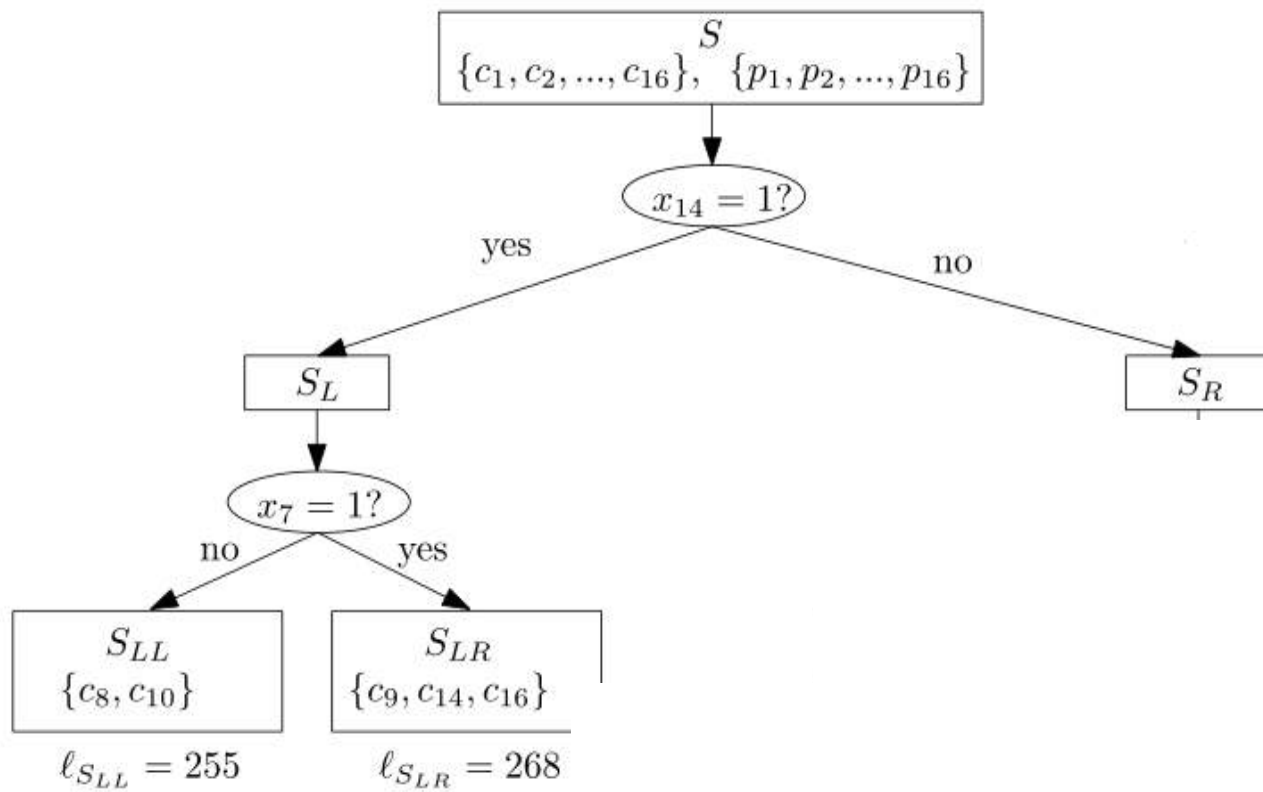
$$\sum_{p_j \in S_{iL}} (p_j - \ell_{S_{iL}})^2 \quad \sum_{p_j \in S_{iR}} (p_j - \ell_{S_{iR}})^2$$

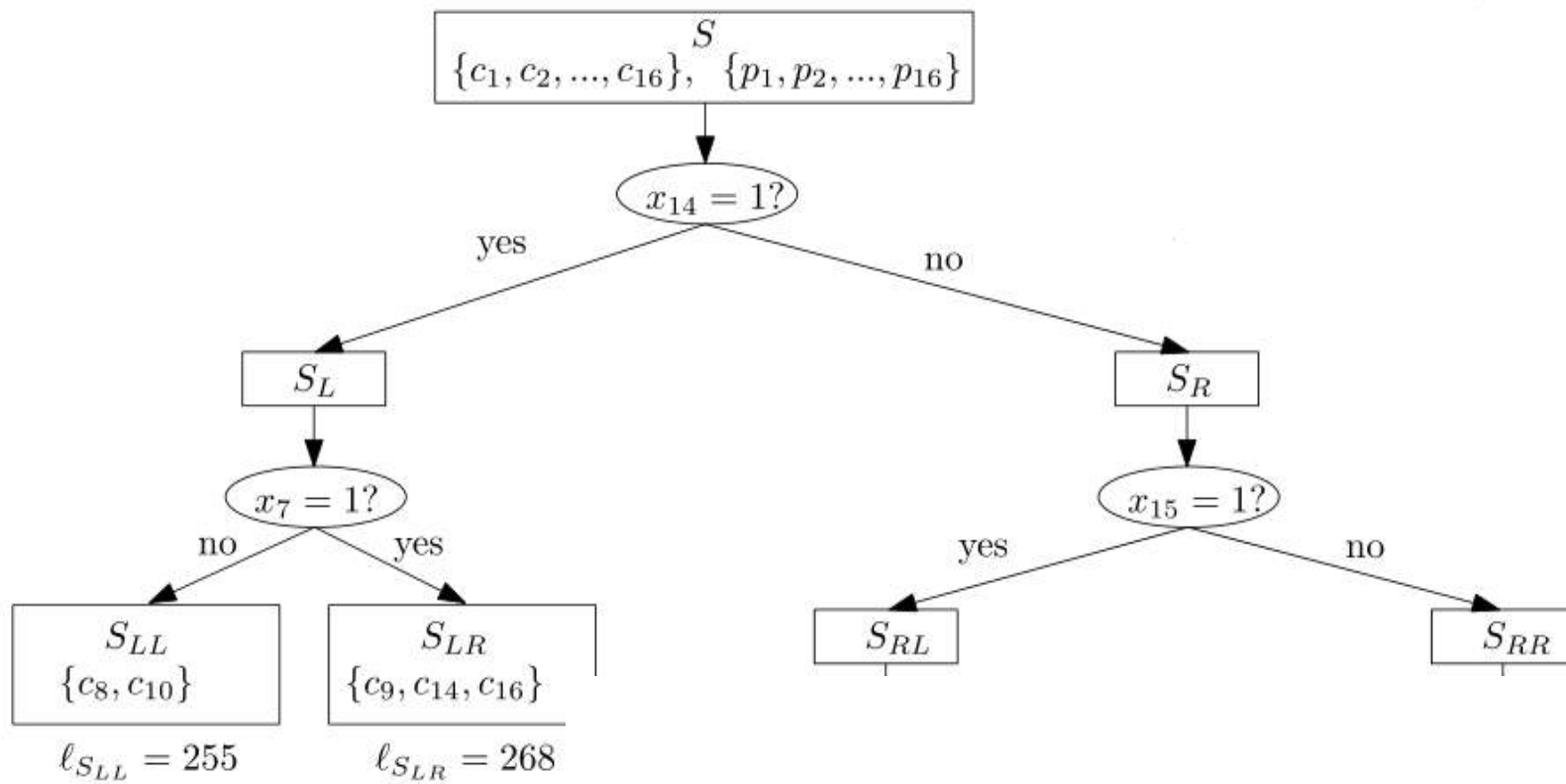
Sum of squared error loss

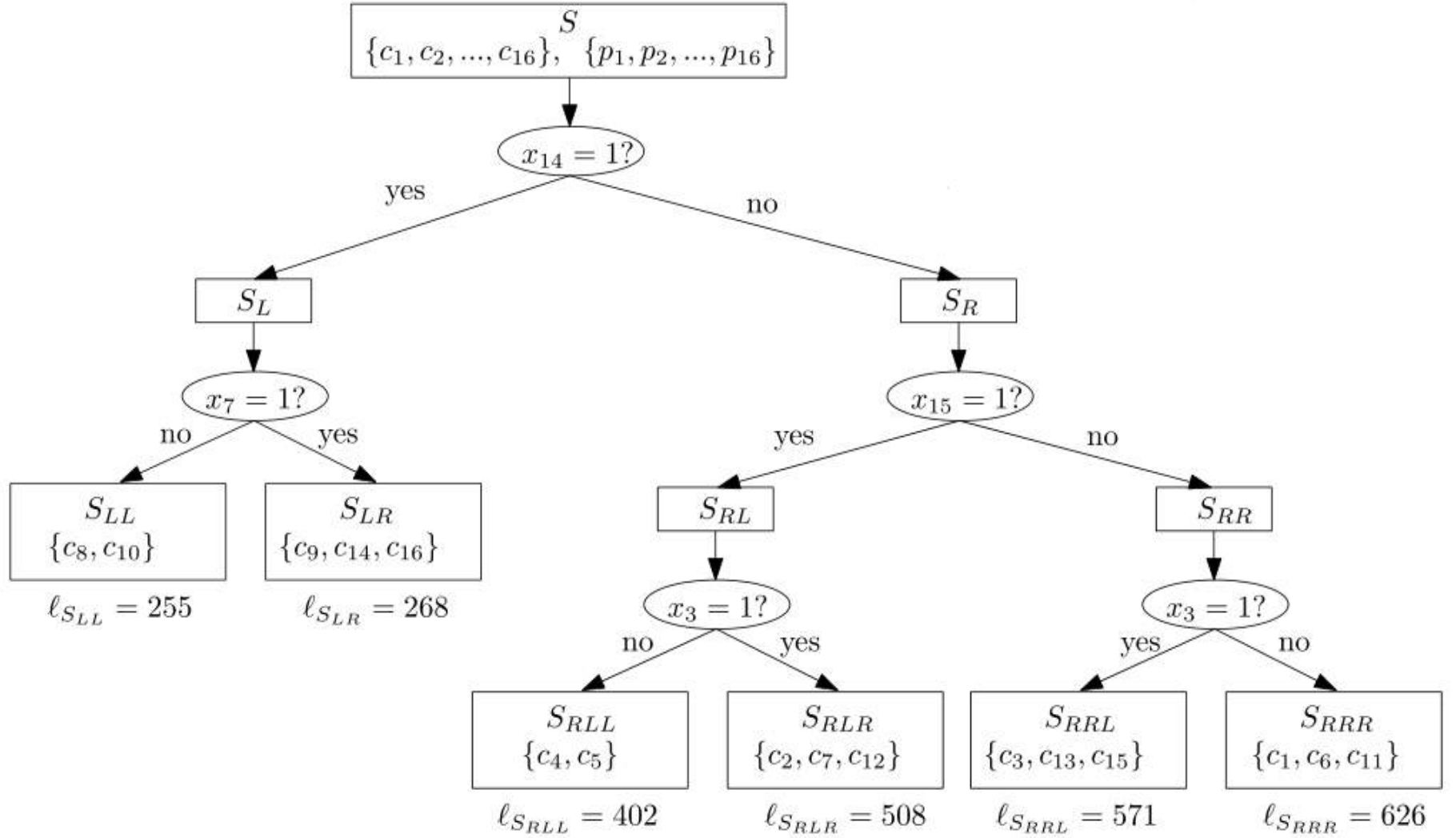
$$\sum_{p_j \in S_{iL}} (p_j - \ell_{S_{iL}})^2 + \sum_{p_j \in S_{iR}} (p_j - \ell_{S_{iR}})^2$$

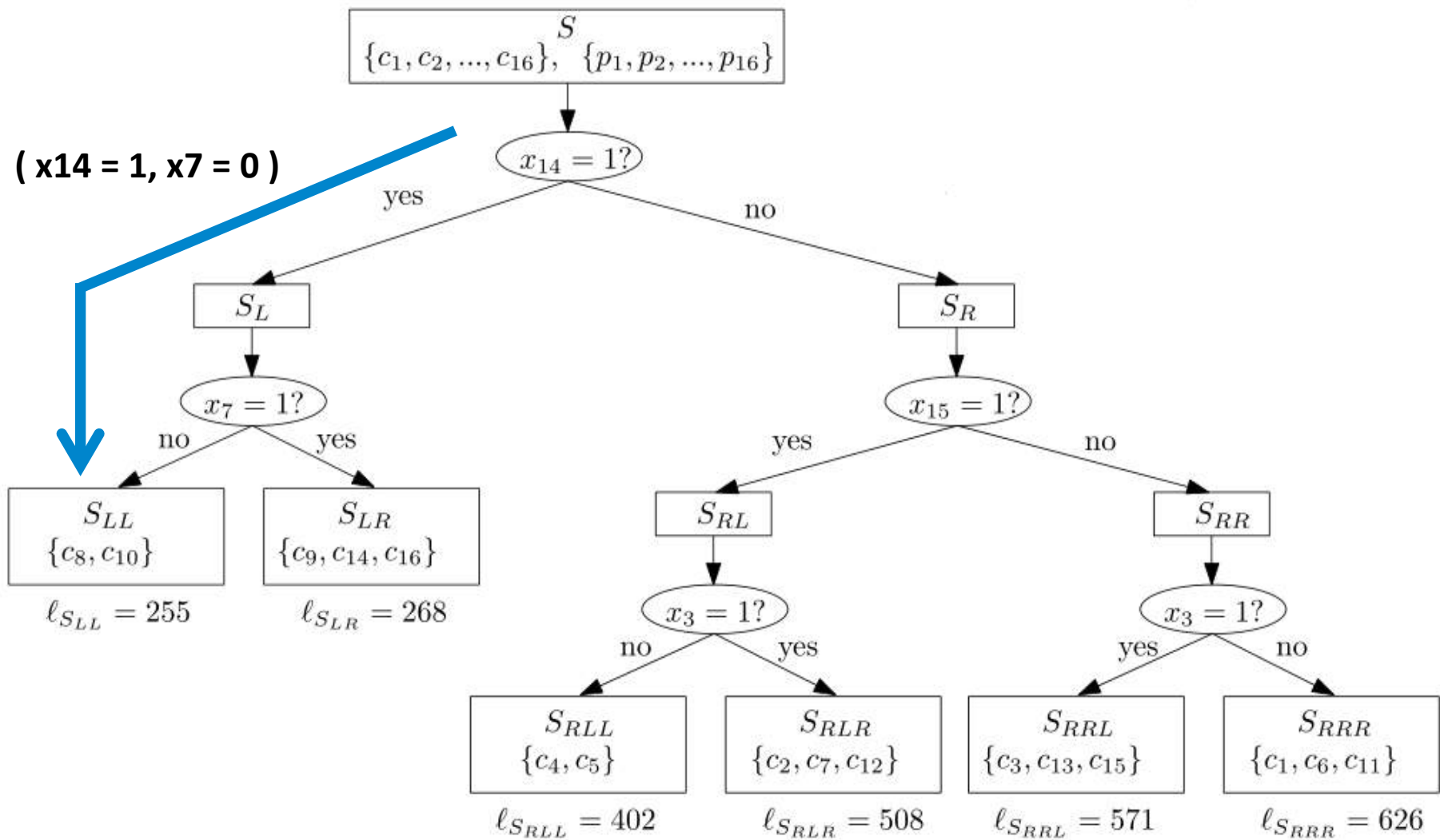
is minimal

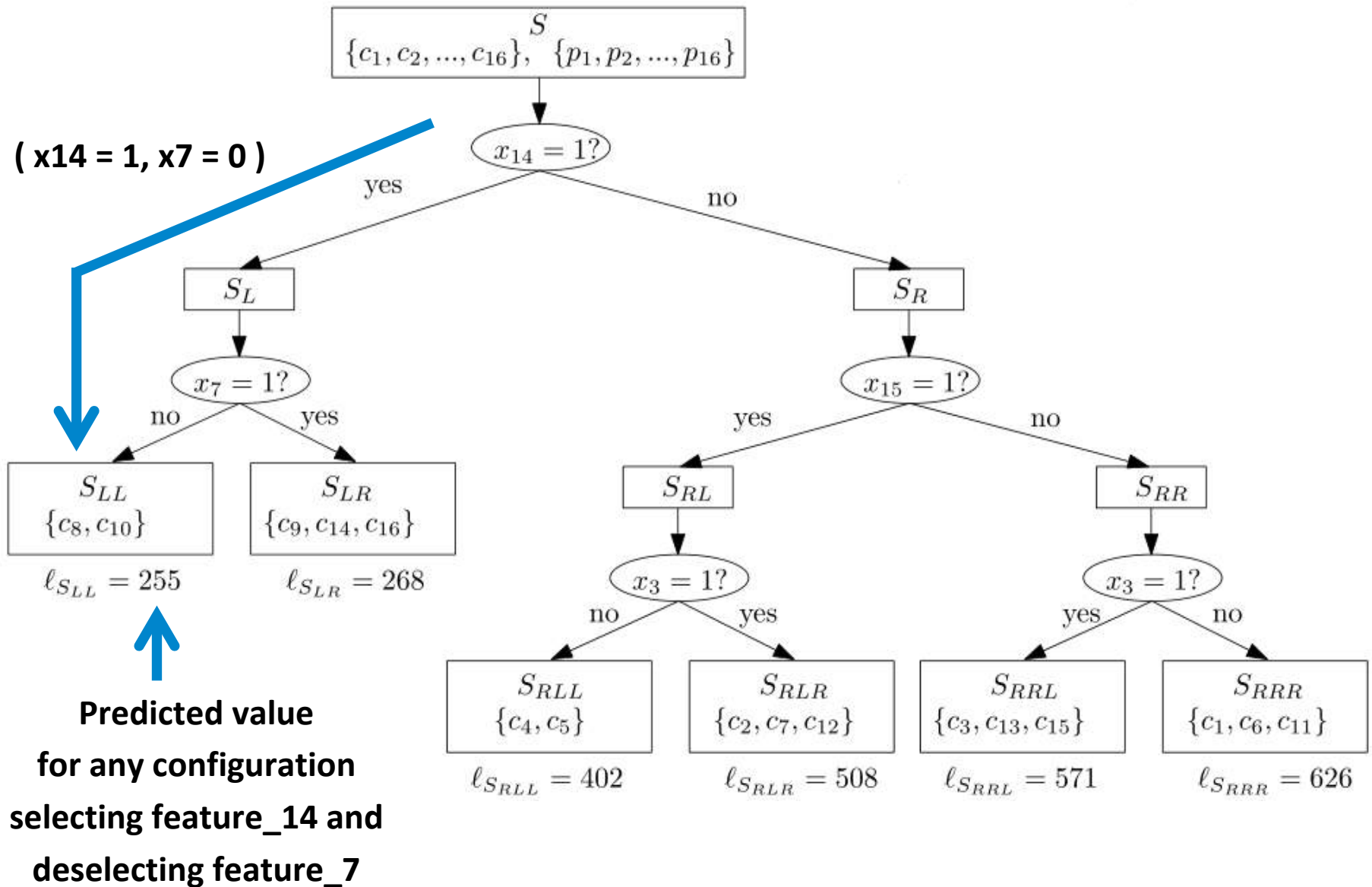




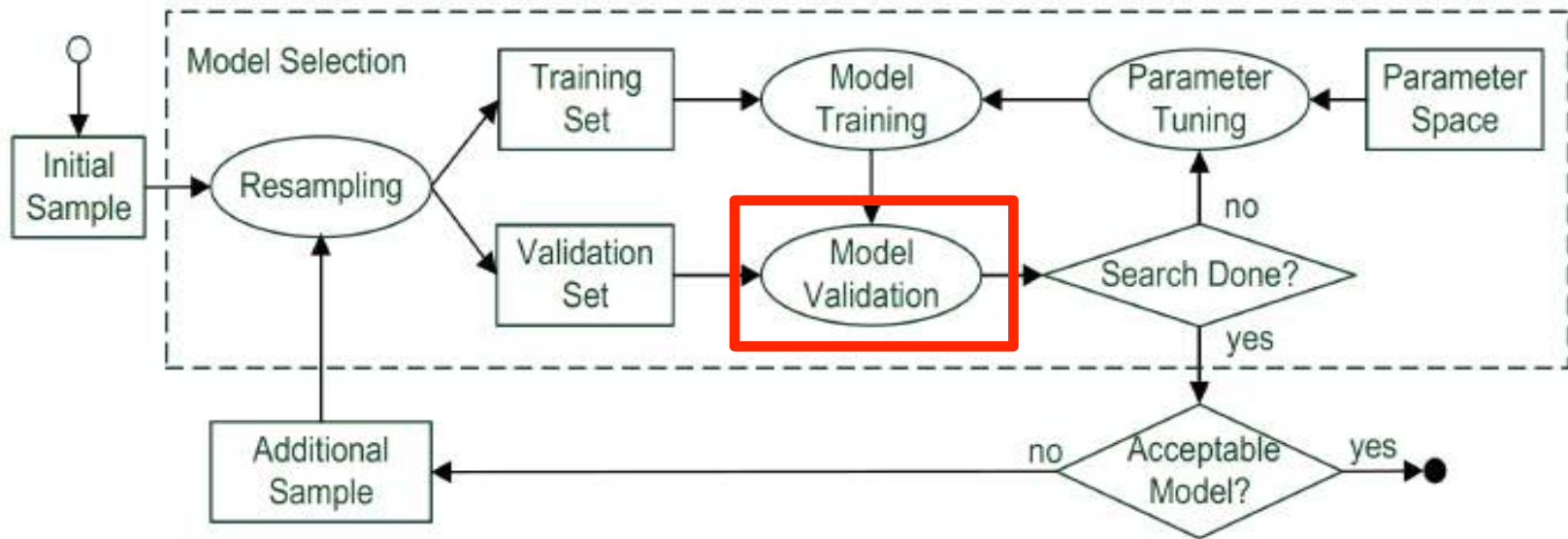








Model Validation

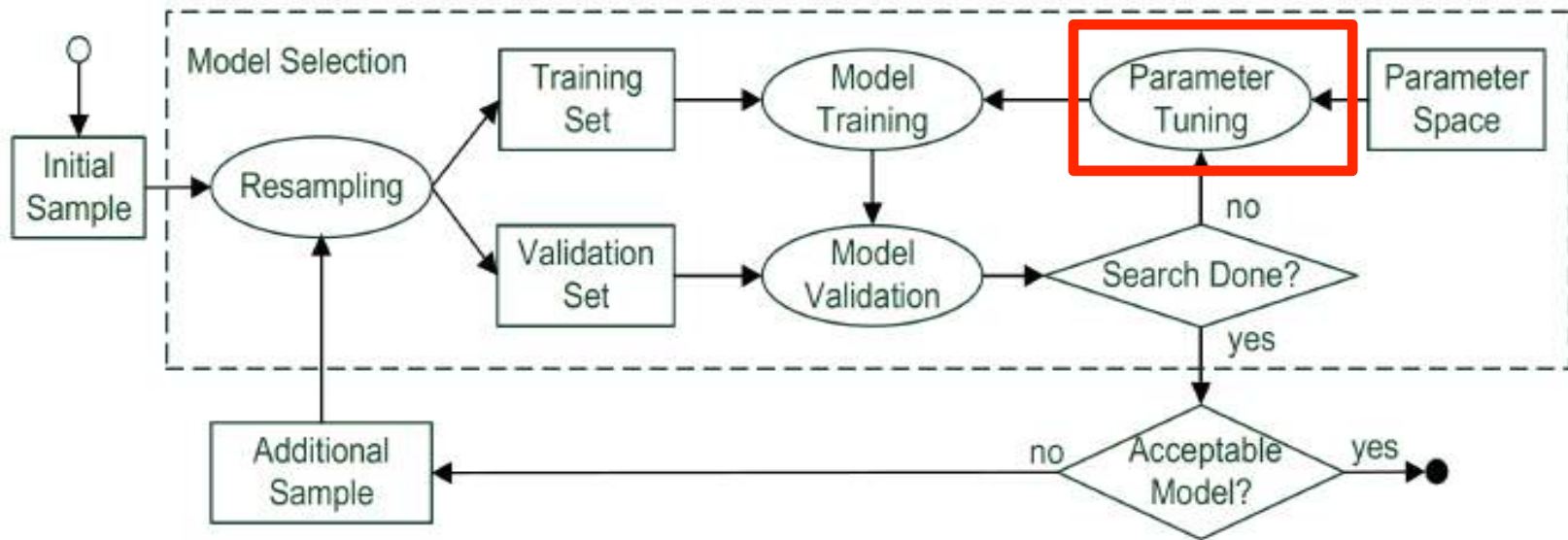


Mean Relative Error (MRE)

$$MRE = \frac{1}{|V|} \sum_{\mathbf{c} \in V} \frac{|actual_{\mathbf{c}} - predicted_{\mathbf{c}}|}{actual_{\mathbf{c}}}$$

Accuracy = 1 - MRE

Parameter Tuning



Determine the optimal parameter setting

- Define a parameter / hyper-parameter space
- Choose a parameter sweep method

Parameters vs. Hyper-Parameters

- A machine-learning **model** is the definition of a mathematical formula with a number of **parameters** that need to be **learned** from the data. By training a model with existing data, we are able to **fit** the model parameters.
- **Hyper-parameters** represent another kind of parameters that **cannot be directly learned** from the regular training process. These parameters express “**higher-level**” **properties** of the model, such as its complexity or how fast it should learn.

Parameter Space

Empirically determine a parameter space of CART by domain analysis

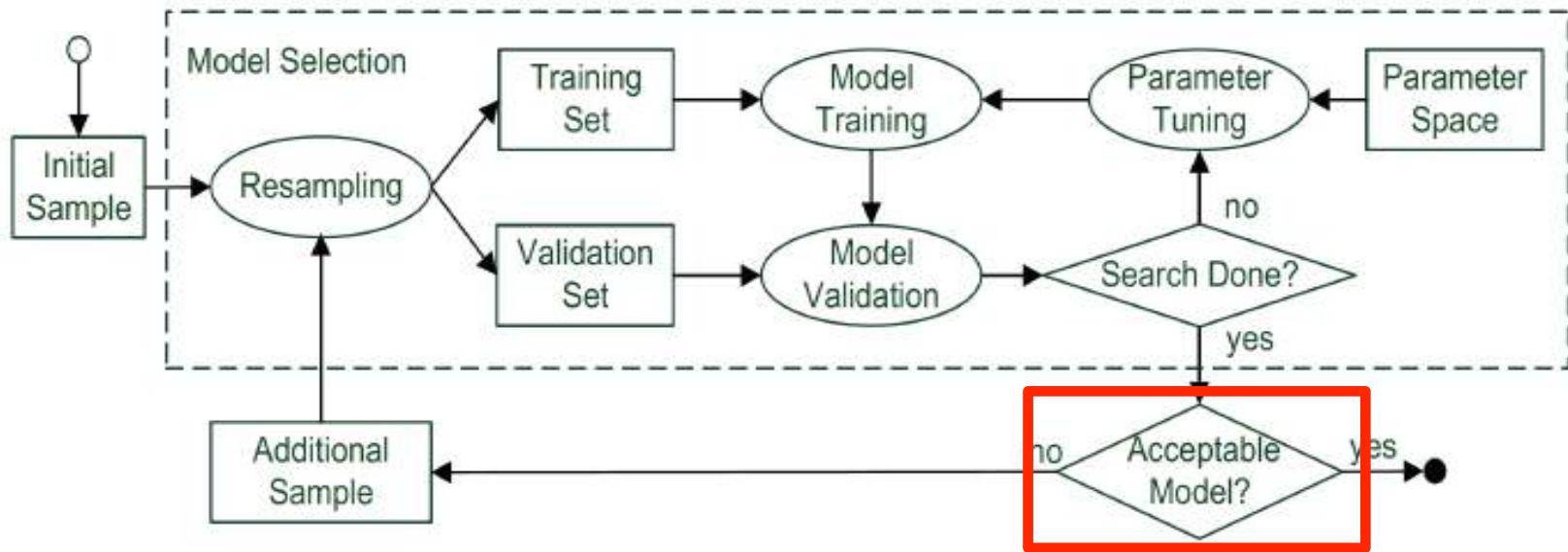
- Implementation in **R**
 - *rpart()*, *rBayesianOptimization()*
- **minsplit** (integer): controls the minimum number of configurations that must exist in a tree node for further partitioning, [1, |S|]
- **minbucket** (integer): specifies the minimum number of configurations that must be present in any leaf node, $\text{minbucket} = \text{minsplit} / 3$ [Williams, 2011]
- **complexity** (real-value): controls the process of pruning a decision tree, and it is used to control the size of the tree and to select an optimal tree size, [10⁻⁶, 0.01]

Parameter Sweep

Trade-off between exploration coverage and efficiency

- **random search**: randomly tests a certain set of parameters
- **grid search**: exhaustively tests all parameters
- **Bayesian optimization**: uses a **Gaussian Process** to model the surrogate function that (1) is used to approximate the true performance function, and (2) it typically optimizes the **expected improvement**, which is the expected probability that new trials will improve on the current best observation

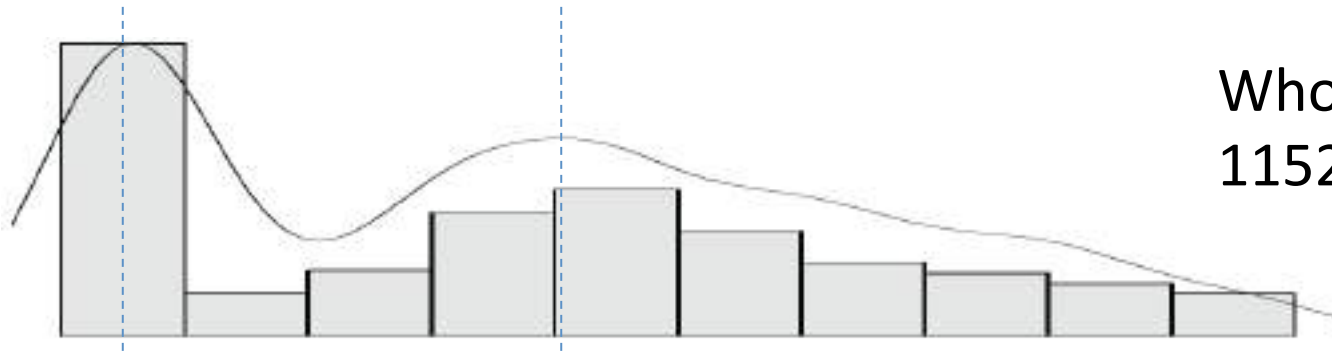
Stopping Criteria for Sampling



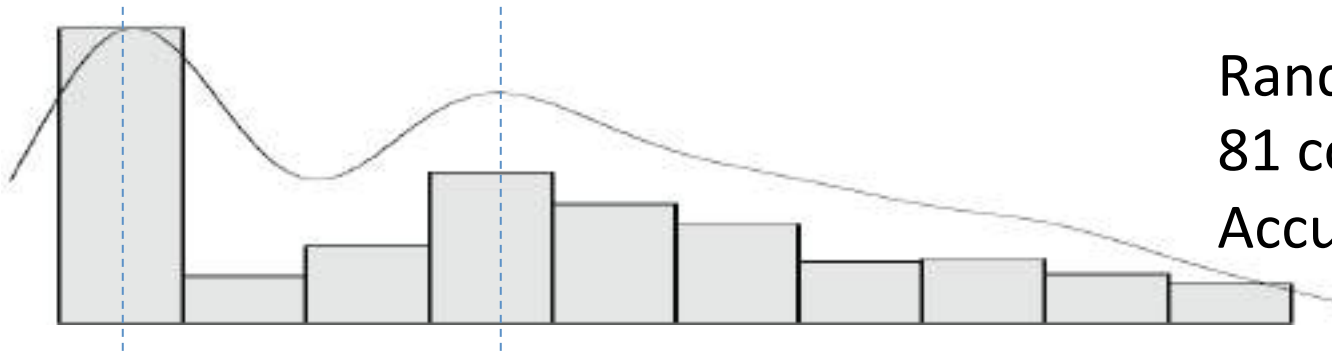
The key to the trade-off between measurement effort and prediction accuracy

- **Validation error**, calculated based only on the input sample S
- **Generalization error** on new data $WP \setminus S$ (i.e., configurations not measured before)

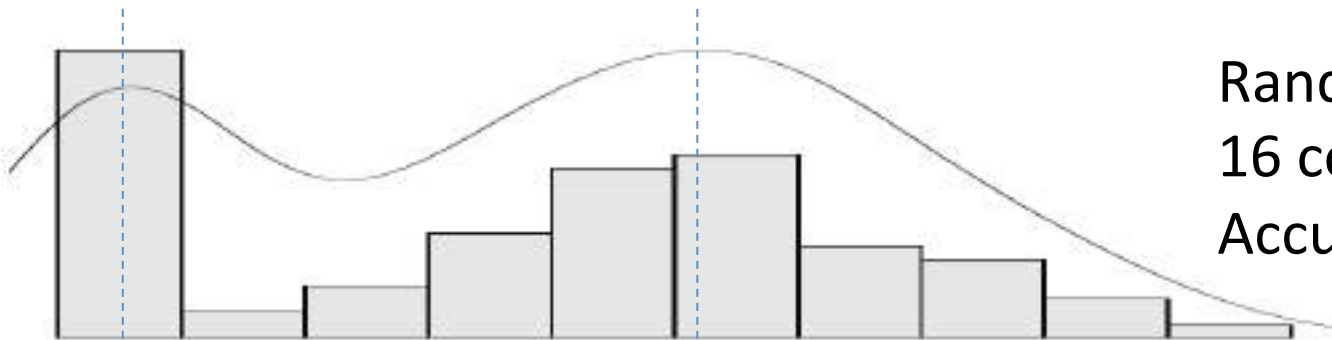
Why CART works?



Whole population
1152 configurations



Random sample 1
81 configurations
Accuracy: 93.6%



Random sample 2
16 configurations
Accuracy: 84.9%

Sample Quality Metric

Notoriously-known challenges in data mining

- Heterogeneous variables of different scales may give rise to **unbalanced domination**
 - Simple combination often makes numeric variables dominate
 - Normalized combination makes Boolean variables dominate

conf1: (f1=1, f2=1, f3=1, f4=1, f5=1), and performance = 1000s;

conf2: (f1=1, f2=1, f3=0, f4=0, f5=0), and performance = 1001s;

conf3: (f1=1, f2=0, f3=1, f4=1, f5=1), and performance = 10s;

Sample Quality Metric

- Measure a sample's distance or **goodness of fit** to the whole population by **Pearson's Chi-squared test**
- Key idea: sum up the differences between **observed** and **expected** outcome **frequencies** in terms of both feature selections and performance values

$$D_f(S, W) = \sum_{i=1}^N \frac{(O_{x_i}^S - E_{x_i}^S)^2}{E_{x_i}^S}$$

$$D_p(S, W) = \sum_{j=1}^M \frac{(O_{y_j}^S - E_{y_j}^S)^2}{E_{y_j}^S}$$

$$D(S, W) = \frac{D_f(S, W) + D_p(S, W)}{2}$$

Evaluation: Subjects

System	Domain	Language	LOC	N	$ W $
AJSTATS	Code analyzer	C	14 782	19	30 256
APACHE	Web server	C	230 277	9	192
BDB-C	Database system	C	219 811	18	2 560
BDB-J	Database system	Java	42 596	26	180
CLASP	Answer set solver	C++	30 871	19	700
HIPAC ^{cc}	Video processing library	C++	25 605	52	13 485
LLVM	Compiler infrastructure	C++	47 549	11	1 024
LRZIP	Compression library	C++	9 132	19	432
SQLITE	Database system	C	312 625	39	4 653
x264	Video encoder	C	45 743	16	1 152

Comparing 3 Resampling Techniques

System	S	Bootstrapping				10-fold cross-validation				Hold-out			
		E_V (%)		Time (s)		E_V (%)		Time (s)		E_V (%)		Time (s)	
		Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin
AJSTATS	N	2.96	0.58	0.69	0.02	0.60	0.22	0.63	0.02	2.16	0.33	0.50	0.03
	2N	1.97	0.20	1.32	0.03	1.49	0.26	1.20	0.02	1.88	0.24	0.88	0.02
	3N	1.92	0.16	1.82	0.03	1.35	0.14	1.79	0.03	1.77	0.14	1.33	0.03
	4N	1.84	0.07	1.94	0.05	1.47	0.16	1.84	0.03	1.87	0.09	1.78	0.03
	5N	1.82	0.10	2.09	0.05	1.49	0.15	1.88	0.03	1.82	0.10	1.85	0.03
APACHE	N	17.87	3.3	0.22	0.00	–	–	–	–	6.51	27.73	0.15	0.00
	2N	17.79	3.01	0.45	0.01	5.8	2.30	0.42	0.01	3.56	14.95	0.34	0.01
	3N	9.36	1.35	0.67	0.00	5.72	1.18	0.65	0.01	0.91	10.19	0.47	0.01
	4N	8.44	0.61	0.88	0.00	6.40	1.59	0.85	0.01	0.86	9.48	0.68	0.02
	5N	6.83	0.57	1.14	0.01	5.16	0.61	1.05	0.01	0.49	8.83	0.82	0.02
BDB-C	N	89.6	32.25	0.59	0.00	17.67	7.84	0.60	0.02	76.38	29.19	0.38	0.01
	2N	36.38	8.91	1.21	0.03	11.00	5.99	1.08	0.02	27.82	11.46	0.77	0.01
	3N	19.04	4.06	1.76	0.04	6.53	2.59	1.65	0.03	15.88	6.33	1.15	0.01
	4N	11.63	3.12	1.83	0.04	5.98	2.28	1.74	0.04	6.32	1.12	1.63	0.02
	5N	6.36	1.44	1.87	0.04	2.89	0.92	1.83	0.04	5.71	1.14	1.71	0.03
BDB-J	N	4.70	2.33	0.87	0.01	1.13	0.29	0.81	0.02	8.05	4.02	0.61	0.01
	2N	1.76	0.20	1.80	0.02	1.26	0.24	1.67	0.03	1.71	0.17	1.23	0.01
	3N	1.79	0.13	1.88	0.03	1.31	0.19	1.93	0.02	1.57	0.16	1.8	0.02
	4N	1.58	0.12	1.92	0.04	1.36	0.22	1.93	0.02	1.66	0.14	1.96	0.05
	5N	1.56	0.10	1.95	0.02	1.07	0.13	1.99	0.02	1.46	0.13	1.89	0.02
CLASP	N	16.92	3.20	0.66	0.02	7.03	4.39	0.69	0.03	18.20	2.94	0.46	0.01
	2N	10.38	2.05	1.32	0.02	5.31	2.13	1.20	0.01	7.47	1.39	0.89	0.01
	3N	5.88	0.90	1.82	0.01	1.93	0.51	1.97	0.05	5.35	0.90	1.39	0.02
	4N	4.88	0.98	1.91	0.02	2.05	0.54	1.96	0.04	4.14	0.74	1.94	0.03
	5N	3.40	0.37	2.04	0.07	2.07	0.59	1.91	0.01	2.90	0.48	1.94	0.01
HIPA ^{cc}	N	17.57	1.28	3.11	0.02	12.52	2.37	2.85	0.02	16.08	0.97	2.25	0.04
	2N	16.16	1.03	3.46	0.02	12.94	1.23	3.49	0.03	15.70	0.98	3.49	0.06
	3N	15.73	0.74	3.93	0.03	11.63	1.29	4.07	0.19	14.89	0.82	3.67	0.02

3 Parameter Tuning Methods

System	S	Bayesian optimization				Grid Search				Random Search			
		E_V (%)		Time (s)		E_V (%)		Time (s)		E_V (%)		Time (s)	
		Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin
AJSTATS	N	2.23	0.57	6.01	0.15	0.60	0.22	0.63	0.02	5.06	1.81	0.07	0.02
	$2N$	1.98	0.34	3.62	0.74	1.49	0.26	1.20	0.02	3.72	0.92	0.08	0.02
	$3N$	2.23	0.27	2.87	0.52	1.35	0.14	1.79	0.03	3.96	0.62	0.07	0.02
	$4N$	1.76	0.24	3.47	0.58	1.47	0.16	1.84	0.03	4.09	0.50	0.08	0.02
	$5N$	1.64	0.16	3.89	0.62	1.49	0.15	1.88	0.03	3.67	0.49	0.08	0.02
APACHE	N	-	-	-	-	-	-	-	-	-	-	-	-
	$2N$	9.43	3.44	6.1	0.49	5.80	2.30	0.42	0.01	29.62	4.94	0.02	0.00
	$3N$	6.65	1.41	7.62	0.61	5.72	1.18	0.65	0.01	20.12	4.21	0.01	0.00
	$4N$	7.67	0.97	2.80	0.48	6.40	1.59	0.85	0.01	29.48	2.85	0.01	0.00
	$5N$	6.76	1.06	5.57	0.19	5.16	0.61	1.05	0.01	32.37	2.56	0.01	0.00
BDB-C	N	34.05	10.17	7.09	0.21	17.67	7.84	0.60	0.02	483.09	210.08	0.02	0.00
	$2N$	29.39	11.67	2.78	0.46	11.00	5.99	1.08	0.02	624.47	148.14	0.02	0.00
	$3N$	28.82	5.23	4.92	0.94	6.53	2.59	1.65	0.03	35.37	7.75	0.02	0.00
	$4N$	21.57	3.50	3.94	0.81	5.98	2.28	1.74	0.04	73.08	35.56	0.02	0.00
	$5N$	20.30	2.57	4.56	0.80	2.89	0.92	1.83	0.04	35.81	3.12	0.02	0.00
BDB-J	N	1.65	0.58	7.60	0.92	1.13	0.29	0.81	0.02	26.32	15.74	0.01	0.00
	$2N$	2.40	0.36	2.76	1.04	1.26	0.24	1.67	0.03	41.06	14.02	0.02	0.00
	$3N$	1.95	0.35	5.48	0.17	1.31	0.19	1.93	0.02	30.17	7.26	0.02	0.00
	$4N$	2.01	0.26	5.24	2.23	1.36	0.22	1.93	0.02	11.97	8.51	0.02	0.00
	$5N$	1.96	0.21	5.71	1.61	1.07	0.13	1.99	0.02	3.00	0.17	0.02	0.00
CLASP	N	13.18	5.31	5.97	0.12	7.03	4.39	0.69	0.03	51.12	12.66	0.02	0.00
	$2N$	8.13	1.92	4.48	0.67	5.31	2.13	1.20	0.01	56.60	8.48	0.02	0.00
	$3N$	6.04	0.94	3.40	0.74	1.93	0.51	1.97	0.05	31.26	4.46	0.02	0.00
	$4N$	4.58	0.69	3.38	0.42	2.05	0.54	1.96	0.04	35.86	5.5	0.02	0.00
	$5N$	5.03	0.60	4.35	0.55	2.07	0.59	1.91	0.01	23.27	2.17	0.02	0.00
HIPA ^{cc}	N	14.79	1.99	5.04	1.02	12.52	2.37	2.85	0.02	20.17	3.12	0.15	0.02
	$2N$	15.51	1.24	6.81	0.88	12.94	1.23	3.49	0.03	20.81	1.8	0.14	0.02
	$3N$	15.15	1.42	6.54	0.81	11.63	1.29	4.07	0.19	19.5	1.19	0.15	0.02

10-Fold Cross Validation + Grid Search

System	$ S $	E_V (%)		E_G (%)		E_{CART} (%)		Time (s)		Q_S	
		Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin	Mean	\pm Margin
AJSTATS	N	0.60	0.22	3.41	0.49	2.94	0.50	0.63	0.02	1901.12	0.45
	$2N$	1.49	0.26	2.77	0.36	3.04	0.38	1.20	0.02	1892.72	0.45
	$3N$	1.35	0.14	2.43	0.31	2.72	0.41	1.79	0.03	1886.25	0.65
	$4N$	1.47	0.16	2.13	0.24	3.02	0.39	1.84	0.03	1877.07	0.67
	$5N$	1.49	0.15	1.93	0.06	2.73	0.34	1.88	0.03	1870.22	0.69
APACHE	N	–	–	–	–	–	–	–	–	–	–
	$2N$	5.80	2.30	14.68	2.32	11.32	1.25	0.42	0.01	20.66	0.38
	$3N$	5.72	1.18	10.16	1.04	10.23	1.04	0.65	0.01	18.29	0.44
	$4N$	6.40	1.59	9.19	1.06	9.51	0.97	0.85	0.01	16.13	0.43
	$5N$	5.16	0.61	8.99	0.94	8.64	0.74	1.05	0.01	14.57	0.49
BDB-C	N	17.67	7.84	147.65	56.25	123.13	37.55	0.60	0.02	1276.58	0.59
	$2N$	11.00	5.99	56.84	30.89	96.89	26.18	1.08	0.02	1268.23	0.59
	$3N$	6.53	2.59	15.11	3.54	77.31	19.12	1.65	0.03	1260.82	0.65
	$4N$	5.98	2.28	8.06	1.38	74.42	20.35	1.74	0.04	1252.70	0.65
	$5N$	2.89	0.92	5.24	0.91	59.92	12.40	1.83	0.04	1244.12	0.62
BDB-J	N	1.13	0.29	3.22	0.86	8.82	3.61	0.81	0.02	77.04	0.55
	$2N$	1.26	0.24	2.07	0.10	3.67	1.32	1.67	0.03	65.01	0.57
	$3N$	1.31	0.19	1.85	0.07	2.95	0.05	1.93	0.02	53.19	0.38
	$4N$	1.36	0.22	1.68	0.11	2.96	0.07	1.93	0.02	42.06	0.44
	$5N$	1.07	0.13	1.67	0.11	2.86	0.07	1.99	0.02	30.51	0.32
CLASP	N	7.03	4.39	15.33	6.91	22.82	2.36	0.69	0.03	279.00	0.80
	$2N$	5.31	2.13	8.27	1.28	17.61	1.00	1.20	0.01	270.32	0.83
	$3N$	1.93	0.51	4.77	0.89	18.62	1.17	1.97	0.05	261.11	0.58
	$4N$	2.05	0.54	3.01	0.40	18.65	1.13	1.96	0.04	253.37	0.81
	$5N$	2.07	0.59	2.64	0.29	17.53	0.93	1.91	0.01	245.34	0.69

Sweet-Spot between Measurement Effort and Prediction Accuracy?

System	$ S $	$\frac{ S }{ W }$	E_V (%)		E_G (%)	
			Mean	\pm Margin	Mean	\pm Margin
AJSTATS	N	2×10^{-5}	0.60	0.22	3.41	0.49
APACHE	$2N$	9×10^{-2}	5.80	2.30	14.68	2.32
BDB-C	$3N$	2×10^{-2}	6.53	2.59	15.11	3.54
BDB-J	N	2×10^{-1}	1.13	0.29	3.22	0.86
CLASP	N	3×10^{-2}	7.03	4.39	15.33	6.91
HIPAC ^{CC}	$10N$	4×10^{-2}	9.46	0.55	10.32	0.42
LLVM	N	1×10^{-2}	1.81	0.76	5.97	0.24
LRZIP	$5N$	2×10^{-1}	6.67	1.61	11.72	2.05
SQLITE	N	1×10^{-5}	4.57	0.72	4.51	0.04
x264	N	1×10^{-2}	4.27	2.54	10.28	2.95

When the validation error is less than 10% ,
the generalization error also approximates to 10% !

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HIPA ^{CC}	$10N$	4×10^{-2}	9.46	0.55	10.32	0.42
LLVM	N	1×10^{-2}	1.81	0.76	5.97	0.24
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When the validation error is less than 10% ,
the generalization error also approximates to 10% !

Conclusion

DECART: A **data-efficient** performance learning approach via **well-established** statistical learning techniques for configurable systems

- **quickly (at most seconds)** builds, validates, and determines an **accurate (above 90%)** performance prediction model based only on a given **small sample** of measured configurations, **without additional effort to detect feature interactions**
- Employs systematic resampling and parameter tuning to ensure that the resulting model holds **optimal parameter settings** based on the currently available sample
- Learns an accurate prediction model with as little measurement effort as possible for a given system, such that a **sweet spot** between measurement effort and prediction accuracy is reached
- Works **automatically** and **progressively** with random samples of any sizes
- Considers **all features** and identifies the **performance-relevant ones**
- Easy to understand and easy to implement

[**https://github.com/jmguo/DECART**](https://github.com/jmguo/DECART)

Thank you for your attention!